Naval Research Laboratory

Washington, DC 20375-5320



NRL/MR/5514--17-9692

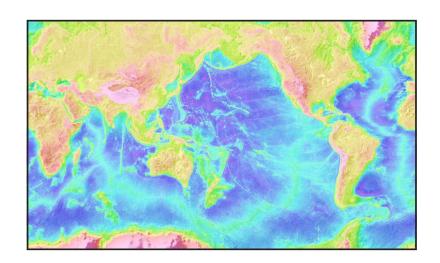
High Resolution Bathymetry Estimation Improvement with Single Image Super-Resolution Algorithm "Super-Resolution Forests"

Dylan Einsidler
Florida Atlantic University
Boca Raton, Florida

Kristen Nock Leslie Smith David Bonanno Navy Center for Applied Research in Artificial Intelligence

Information Technology Division

Paul Elmore
Warren Wood
Fred Petry
Oceanography Division
Stennis Space Center, MS



January 26, 2017

Approved for public release; distribution is unlimited.

REPORT DOCUMENTATION PAGE

Form Approved OMB No. 0704-0188

Public reporting burden for this collection of information is estimated to average 1 hour per response, including the time for reviewing instructions, searching existing data sources, gathering and maintaining the data needed, and completing and reviewing this collection of information. Send comments regarding this burden estimate or any other aspect of this collection of information, including suggestions for reducing this burden to Department of Detense, Washington Headquarters Services, Directorate for Information Operations and Reports (0704-0188), 1215 Jefferson Davis Highway, Suite 1204, Arlington, VA 22202-4302. Respondents should be aware that notwithstanding any other provision of law, no person shall be subject to any penalty for failing to comply with a collection of information if it does not display a currently valid OMB control number. PLEASE DO NOT RETURN YOUR FORM TO THE ABOVE ADDRESS.

1. REPORT DATE (<i>DD-MM-YYYY</i>) 26-01-2017	2. REPORT TYPE Memorandum Report	3. DATES COVERED (From - To)		
4. TITLE AND SUBTITLE		5a. CONTRACT NUMBER		
High Resolution Bathymetry Estimation Improvement with Single Image Super-Resolution Algorithm "Super-Resolution Forests"		5b. GRANT NUMBER		
		5c. PROGRAM ELEMENT NUMBER		
6. AUTHOR(S)		5d. PROJECT NUMBER		
Dylan Einsidler,* Kristen Nock, Leslie Smith, David Bonanno, Paul Elmore, Warren Wood, and Fred Petry		5e. TASK NUMBER		
warren wood, and ricd reny		5f. WORK UNIT NUMBER		
7. PERFORMING ORGANIZATION NAME(S) AND ADDRESS(ES) Naval Research Laboratory, Code 5514		8. PERFORMING ORGANIZATION REPORT NUMBER		
4555 Overlook Avenue, SW Washington, DC 20375-5320		NRL/MR/551417-9692		
9. SPONSORING / MONITORING AGENC	CY NAME(S) AND ADDRESS(ES)	10. SPONSOR / MONITOR'S ACRONYM(S)		
Naval Research Laboratory, Code 5514 4555 Overlook Avenue, SW				
Washington, DC 20375-5320		11. SPONSOR / MONITOR'S REPORT NUMBER(S)		
12. DISTRIBUTION / AVAILABILITY STA	FEMENT			

Approved for public release; distribution is unlimited.

13. SUPPLEMENTARY NOTES

*Florida Atlantic University, 777 Glades Rd., Boca Raton, FL 33431

14. ABSTRACT

Using the single image super-resolution algorithm "Super-Resolution Forests (SRF)", this paper shows the ability to improve the prediction of high resolution bathymetry data. Borrowing the machine-learning technique of "training and testing" on a dictionary of sets data, we could create high resolution estimates of bathymetry data similar to estimates typically created with this technique using image data. By implementing a changed variance on the training process of the SRF algorithm, we were able to further increase the mean PSNR score of the high resolution estimated data from previously used bicubic interpolation.

15. SUBJECT TERMS

Single image Bathymetry Super-Resolution Estimation

Machine learning

16. SECURITY CLA	ASSIFICATION OF:		17. LIMITATION OF ABSTRACT	18. NUMBER OF PAGES	19a. NAME OF RESPONSIBLE PERSON Leslie N. Smith
a. REPORT Unclassified Unlimited	b. ABSTRACT Unclassified Unlimited	c. THIS PAGE Unclassified Unlimited	Unclassified Unlimited	11	19b. TELEPHONE NUMBER (include area code) (202) 767-9532

Table of Contents

1. Introduction

Y j gp'k/eqo gu'\q'wpf gtuvcpf kpi '\'y g''dqwqo '\qh \\ y g''qegcp. '\'y cv'ku. '\'y g''gngxcvkqp''qh'\'y g''ugchmqt''ctqwpf \\ y g''i mdg. ''qwt''ewttgpv'mpqy ngf i g'ku''xgt { ''nko kgf 0'Kp \\ y g''r wdnke''f qo ckp. '': 4' ''qh'\'y g''Gcty øu''ugchmqt \\ gngxcvkqp''*dcy { o gvt {+'ku''qpn{ ''c'r tgf kevkqp''qh''f gr y \\ *Y gcy gtcm''gv'cn0''4237+0'Vj ku''r tgf kevkqp''ku f gtkxgf \\ htqo y g kpxgtukqp''qh''ucvgnkg''cnwo gvt { ''o gcuwtgo gpvu qh''o ctkpg''i gqkf ''j gki j v'\'q''ugchmqt''\qr qi tcr j { ''*Uo kj cpf ''Ucpf y gm''3; ; 9='Ecm cpv'gv'cn0''4224.''J w'gv'cn0 \\ 4237+*cnko gvt { ''r tqeguu''uj qy p'kp''Hki wtg'4+0'Uqpct u{uvgo ''uwtxg{u''cpf ''tgi kqpcn'i tkf u'r tqxkf g''mpqy ngf i g qh''3: ' ''Gcty øu''dcyj { o gvt {0'Vj gug''f cw''eqpuvtckp''y g kpxgtug''r tgf kevkqp''hqt''y g''tgo ckpkpi '': 4' ''qh''y g''i mdg0

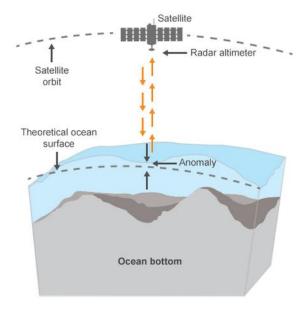


Figure 2: How satellites predict bathymetry (Amos, J. (2014, October 2)

c"o k"qh"j ki j "cpf "my /tguqnwkqp"f cvc0Vj g"I gpgtcn
Dcyj {o gvtke"Ej cwi'qh"y g"Qegcpu"*I GDEQ+"wugu"dqyi
vq"i tkf "y g"Gctyj øu"qegcp"mqqt"cv'52/cte"ugeqpf "i tkf
ur cekpi "*¢"3mo +0"Vj g"rcvguv"i tkf "ku"htqo "4236"*WTN<
<u>j wr ly y y 0 gdeq@gv="</u>Y gcyj gtcm"gv'cn0"4237+0"Kp
ctgcu"y j gtg"qpn{"y g"r tgf kevgf "dcyj {o gvt {"*htqo
cnko gvt {+"ku"cxckrcdrg."y g"cewcn"t guqnwkqp"qh"ugchrqqt
mpqy ngf i g"ku"¢"32mo 0"Vj g"52/ugeqpf "i tkf "cf f u"o qtg
r qkpwi"q"c"uo qqyj gf "uwthceg"wukpi "y g"Ur nkpg/Kp/
Vgpukqp"*Uo kyj "cpf "Y guugn 3;; 2+0

2. Project Overview

Hqt"o {"uwo o gt"kpvgtpuj kr "r tqlgev."Ky qtmgf y kij "c"vgco "vq"ko r tqxg"ij g"WUUP cx {øu"mpqy ngf i g"qh vj g"r ncpgvøu"dcvj {o gvt {0"Vj g"vgco "wugu"vgej pks wgu dqttqy gf "htqo "ko ci g"r tqeguukpi "ecmgf "õukpi ng"ko ci g uwr gt/tguqnwkqpö"vq"etgcvg"pgy "guvko cvkqpu"qh"y j cv vj g"j ki j /tguqnwkqp"f cvc"y qwrf "nqqm"kng"kh"kv"y gtg r tgugpv"kpuvgcf "qh"vj g"my /tguqnwkqp"f cvc0

Vj g'i qcn'qh''y ku'r tqlgev'y cu''q''cr r n{ "c''ukpi ng/ko ci g''uwr gt''tguqnwkqp''yeej pks wg''q''dc'y {o gxt{"f cxckp"c''uko kret''hcuj kqp."'q''gurko cvg''y j cv''y g''j ki j tguqnwkqp''f cvc''o ki j v''nqqm'irkng''cu''kh'y g''eqmgevgf''y g f cvc''htqo "o wnkdgco "uqpctu0Etgcvkpi "j ki j ''tguqnwkqp gurko cvkqpu''ku''wughwi'hqt''y g''P cx{"hqt''c''pwo dgt''qh tgcuqpu0O ckpn{.'kv'i kxgu''y g'P cx{\@u'o ctkko g''cpf uwdo gtukdng''xgj kengu'c''dgvygt''cdkrkv{''vq''pcxki cvg''y g ugcu0D{"etgcvkpi "y g''j ki j ''tguqnwkqp''gurko cvgu."y g''ctg cdng''vq''r tqxkf g''c''dgwygt''kf gc''qh'y j cv''y g''qegcp''hqqt qqmu''nkng0Vj ku''ecp''j gm''pcxki cvg''ctqwpf ''f cpi gtqwu ukwcvkqpu''uwej "cu''r tqxtwf kpi ''ugco qwpvu''cpf f ggr lpcttqy ''tcxkpgu0

3. Single Image Super Resolution on Bathymetry Data

Ukpi ng'ko ci g'uwr gt'tguqnwkqp'ku'cp'ko ci g tguqnwkqp'ko r tqxgo gpv'vgej pks wg y j gtg'kh'{qw'j cxg r cktu qh mqy 'tguqnwkqp cpf 'j ki j 'tguqnwkqp ko ci gu'*qh yi g'uco g'uwdlgev+:"{qw'ctg'cdng'vq wug'o cej kpg ngctpkpi 'cni qtkyi o u vq'ongctpo'qt'ovtckpo'qp'yi qug r cktu

of images so that it can take only the low resolution image and yield a prediction of a high resolution image estimation. This is done by treating the pixels of the low resolution image as points of data, and mathematically interpolating those points to create an estimate of what the high resolution image would look like d{ "tghgtgpekpi "vi g"cntgcf { "mgctpgf "õf kevkqpct { ö"qh image pairs. For example, if a high resolution image consists of 3600 pixels, and a low resolution image consists of 100 pixels (a difference of a scaling factor of 6), you can take the low resolution image and upsample the pixels by interpolating them as data points to artificially create a high resolution estimation of 3600 pixels cpf "vj gp"orgctpö"vj g"fkhlgtgpeg" tgukf wcn+ by using the comparison of pre-learned pairs of low resolution and high resolution images. An example of this estimation is shown in Figure 3.

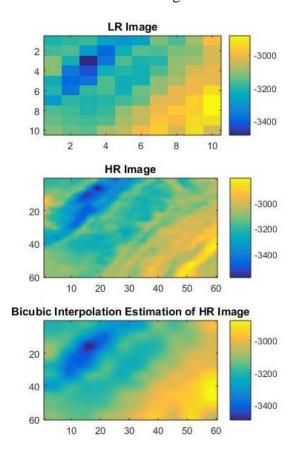


Figure 3: Super-resolution using bicubic interpolation to produce an HR estimate using LR data (Images produced using Matlab).

Before we could go about improving the Pcx{øu'dcyj {o gvt{'fcvc.'y g'htuv'j cf 'vq'eqphtqpv'uqo g uncertainties. There were a number of things we were unsure of ó most of which stemmed from the

fundamental differences between that nature of image data and bathymetry data. For instance, bathymetry data deals in elevation, whereas image data deals in variation of color/brightness (RGB value). This could introduce some problems regarding interpolation; specifically, how the data points in the z-direction (the height) would be treated. There are many different variations of the super-resolution technique, and one way in which they vary is in regards to the superresolution method. For bathymetry data, we needed a super resolution technique that would preserve sharp changes - an interpolation method that would smooth out the data as little as possible. This is because the actual ocean floor is not very smooth ó there are sharp peaks and valleys, and in order to accurately represent the ocean floor with our high resolution data estimations, we must use a super-resolution technique that would smooth out these peaks and valleys as little as possible. Bicubic interpolation has the ability to produce high resolution estimations, however there is considerable a smoothing effect as a result. An example of this smoothing is shown in Figure 4.

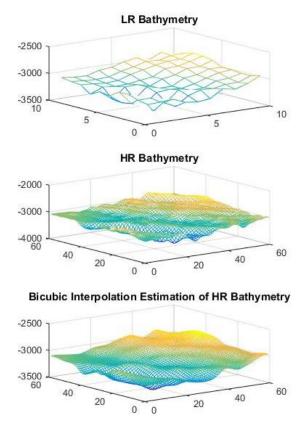


Figure 4: Bicubic Interpolation shows the ability to predict HR bathymetry from LR data (similar to the capability of with image data), however there is considerable smoothing out of the prediction (Plots produced using Matlab).

4. Super Resolution Forests

The super-resolution algorithm that was chosen to conduct our experiments on was called õUwr gt-Resolution Fqtguw'*UTHÖ'*Uej wngt.'Nghnpgt. and Bischof, (2015)). The code to run this algorithm was modified so that it would operate on bathymetry data instead of image data.

The SRF algorithm works as follows (see Figures 5 and 6): As input, you have pairs of low resolution and high resolution data. There are two main processes - training and testing. 80% of the input data is used for the training process, and the remaining 20% is reserved for the testing process. The size of the low resolution data is 10x10 points, and the size of the high resolution data is 60x60 points. The low resolution data is taken and undergoes bicubic interpolation, which is a common form of interpolation used on images. In doing so, it is upsampled and has the same dimensions as the high resolution data. This new 60x60 interpolated data is labeled as the bicubic estimates. This estimated data is then compared to the original high resolution data and the SRF training process begins, resulting in a superresolution forest (SRF) model which is created from the residuals of the original high resolution data and the up-sampled data.

Once the model is created, the testing process begins, and the reserved 20% of data pairs is used for testing. Each of the low resolution data blocks are upsampled using bicubic interpolation. The superresolution model is then applied to these bicubic estimates, yielding the final high resolution estimates. Each of the data blocks are tested with the remaining 20% percent of data pairs. After the forest is applied, the final high resolution estimates are created and are trimmed to have the dimensions of 48x48. This process of cropping the edges is a result of the fact that this SRF processing technique uses convolutional filters that cause distortions around the borders of an image. To compensate, the borders are removed, leaving us with 48x48 dimensions of undistorted data. The original high resolution data input is then trimmed to also have dimensions of 48x48 in order to match the high resolution estimates dimensions for

comparison, and finally, a PSNR is computed and plotted for all data points.

SRF SR Method Training Process

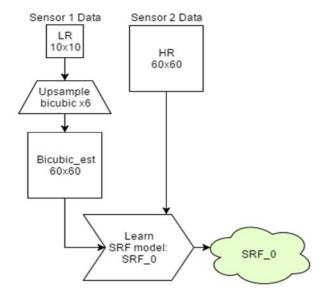


Figure 5: Process 1/2 (Training) of the original SRF Algorithm

SRF SR Method **Testing Process** Sensor 1 Data Sensor 2 Data LR 10x10 HR 60x60 Upsample bicubic x6 Trim Bicubic_est 60x60 HR trim 48x48 HR_est Apply Compute PSNR SRF_0 48x48 SRF_0

Figure 6: Process 2/2 (Testing) of the original SRF Algorithm

5. Changing the LR data variance

On the bathymetry data, the SRF process gave us a higher PSNR than bicubic interpolation (by about 1 dB).

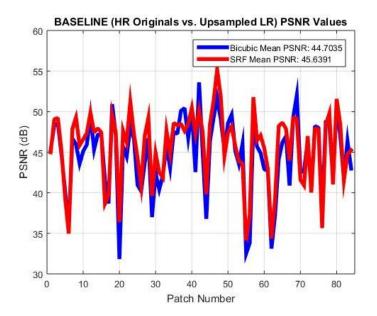


Figure 7: PSNR comparison (with mean scores) between Bicubic Interpolation and SRF

Figure 7 shows the comparison between the PSNR scores for all points of data having gone through both the bicubic interpolation and SRF algorithms. According to our results, the mean PSNR score from bicubic interpolation (44.7) was surpassed by the mean PSNR score from the SRF algorithm (45.6). Although it is a slight improvement, the team believed that we could do even better than a 1 dB increase for the SRF algorithm. Due to the smoothing nature of bicubic interpolation, there is a loss in detail of high frequency original bathymetry data while low frequency detail is preserved. This caused us to examine the variance of the data, and to do a comparison of before and after bicubic interpolation. If we could notice a relationship between the low resolution data and the high resolution data, then it could help us in estimating what high resolution bathymetry data would look like given only low resolution bathymetry data.

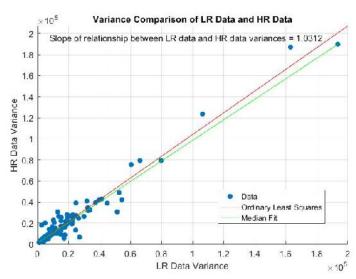


Figure 8: Variance Comparison between LR and HR bathymetry data

Figure 8 shows a comparison between the variance of the low resolution data against the variance of the high resolution data. The blue points represent variance values for each point of data, the red line represents an ordinary least squares line (a common way to plot a line of best fit), and the green line represents a median fit line (a line constructed by using the medians of each point between the two sets of data, respectively). We observed that there was a positive correlation between the variances (with a slope almost equal to 1). Having a correlation between the variances could enable us to predict estimations of high resolution data, given that we know both the low resolution data and the slope of what the correlation should be.

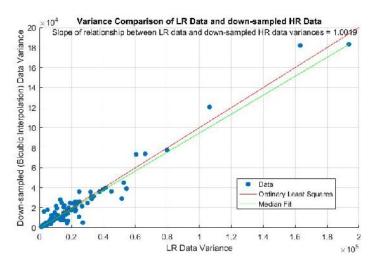


Figure 9: Variance Comparison between LR and down-sampled HR (bicubic interpolation) bathymetry data

We then took a look at the relationship between the variance of the low resolution data and the variance of the estimated low resolution data using bicubic interpolation to down-sample the known high resolution data (As shown in Figure 9). There were two main observations. Firstly, there was a drop in magnitude of the variance of the down-sampled data compared to the original high resolution data. Secondly, there was a slight decrease in slope-value. Knowing that the variance of the down-sampled data was decreasing and that there was a shift in slope (closer to 1), if we could move the data points away from the mean a certain distance s proportional to how far those data points are from the mean, then we could derive a simple expression to modify the variance of our estimated high resolution data to closer represent how it should appear in reality.

The mathematics behind this modified variance calculation is as follows:

The variance of the low resolution data (VarLR) is

$$VarLR = \frac{1}{N} \sum_{i}^{N} (x_i - \bar{x})^2$$

By modifying each point x_i by a quantity $s(x - \bar{x})$, we can have the LR data variance (VarLR) be equal to the HR data variance (VarHR).

$$VarHR = \frac{1}{N} \sum_{i}^{N} (x_i + s(x_i - \bar{x}) - \bar{x})^2$$

$$= \frac{1}{N} \sum_{i}^{N} (x_i + sx_i - \bar{s}\bar{x} - \bar{x})^2$$

$$= \frac{1}{N} \sum_{i}^{N} (x_i(1+s) - \bar{x}(1+s))^2$$

$$= \frac{1}{N} \sum_{i}^{N} (1+s)^2 (x_i - \bar{x})^2$$

$$= (1+s)^2 \frac{1}{N} \sum_{i} (x_i - \bar{x})^2$$

By substitution,

$$VarHR = (1+s)^2 VarLR$$

And solving for s yields...

$$1 + s = \sqrt{\frac{VarHR}{VarLR}} \rightarrow \boxed{s = \sqrt{\frac{VarHR}{VarLR}} - 1}$$

By implementing an edited variance within certain locations of the SRF algorithm code, we could run experiments to see if implementing an edited variance could have any improvement on SRF's overall mean PSNR. Because bicubic interpolation is a step that occurs within the SRF algorithm, the drop in magnitude of variance after bicubic interpolation gave us reason to experiment with changing the variance before and after bicubic interpolation occurs within the algorithm.

6. The 7 trials

Within the SRF algorithm code, there were 3 locations at which the variance could be edited. The first location was before the bicubic estimates were created (before the SRF is learned and applied), the second location was after the bicubic estimates were created (also before the SRF is learned and applied), and the third location was after the high resolution estimates were created (after the SRF is learned and applied). Diagrams showing all 3 locations within the training and testing processes of the SRF algorithm are shown in Figures 11 and 12.

Since there were 3 locations where the variance could be edited, 7 trials could be conducted in total (the first 3 locations independently, first location in combination with the second location and then the third location, and finally all three locations simultaneously). A table showing which data would

have its variance changed for each trial is displayed in Figure 10.

Trial 1	1: Apply to LR [10x10] Data -before upsampling and before application of SRF
Trial 2	2: Apply to HR bicubic (interpolated) [60x60] Data -before application of SRF
Trial 3	3: Apply to HR estimated [48x48] Data -after application of SRF
Trial 4	4: Apply to LR and to HR bicubic (interpolated) Data
Trial 5	5: Apply to LR and to HR estimated Data
Trial 6	6: Apply to HR bicubic and to HR estimated Data
Trial 7	7: Apply to LR, HR bicubic, and to HR estimated Data

Figure 10: Table showing where the variance was changed along the SRF algorithm code for each trial, as well as what data is the input for each trial.

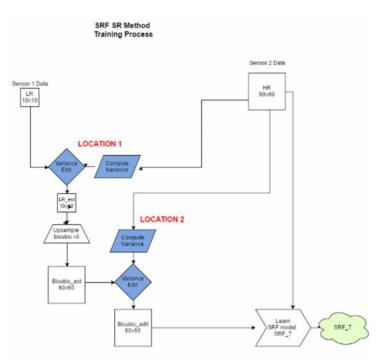


Figure 11: Diagram showing the locations for the possible changes of variance in the SRF training process for all trials.

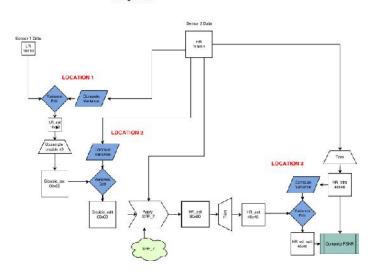


Figure 12: Diagram showing the locations for the possible changes of variance in the SRF testing process for all trials.

7. Results

Out of all of the 7 trials, the trial that yielded the greatest overall improvement from the mean PSNR score of the original SRF process was the PSNR score of trial 1 (as shown in Figure 13).

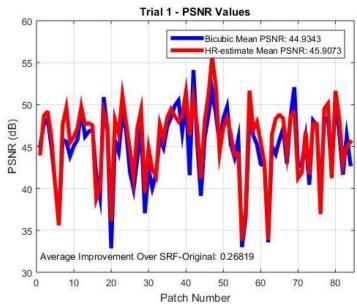


Figure 13: PSNR comparison for Trial 1 (changing the variance of the low resolution data before it undergoes bicubic interpolation).

This meant that implementing the edited variance before the bicubic estimates were created caused the mean PSNR to increase the most, and all combinations where either the variance was changed after the bicubic estimates were created or after the high resolution estimates were created caused the change in PSNR to be less than that of trial 1.

8. Discussion

As mentioned, for any case where the variance was changed after initial bicubic up-sampling, the change in mean PSNR was minimal. It is likely that the reason for this is that changing the variance after both the training and testing processes occur will introduce noise into the data, which will in turn cause the high resolution estimates to stray further away from the ground truth. Changing the variance early on in the SRF algorithm code (before bicubic interpolation occurs) would mean to edit the raw data as opposed to noisy data created later on along the code. Although trials 4, 5, and 7 also had the variance edit occur before the initial bicubic interpolation, because these trials had the variance of the data changed a second (or third) time later in the code after training/testing, it is suspected that the additional edits introduced noise into the data and thus worsened the improvement on the mean PSNR.

9. Conclusion and Future Remarks

These results show that it is possible to improve estimated high resolution bathymetry data with the use of a single image super-resolution technique, and the ability to further improve the estimations by altering the variance of the low resolution data as input in the training and testing processes of the SRF algorithm. A next step from here would be to investigate a way to estimate the desired variance of the data blocks without using "unknown" high resolution data. Another way to further improve the accuracy of high resolution data estimation would be to investigate how to adjust the variance spatially, instead of using one overall variance of the patch.

References

- [1] Calmant S, Berge-Nguyen M, and Cazenave A (2002), Global seafloor topography from a least-squares inversion of altimetry-based high-resolution mean sea surface and shipboard soundings, Geophysical Journal International, 151(3), 795-808. doi: 10.1046/j.1365-246X.2002.01802.x.
- [2] Hu MZ, Li JC, Li H, Shen CY, Jin TY, and Xing LL (2015), Predicting global seafloor topography using multi-source data, Marine Geodesy, 38(2), 176-189, doi: 10.1080/01490419.2014.934415.
- [3] Smith WHF, and Sandwell DT (1997). Global sea floor topography from satellite altimetry and ship depth soundings. Science, 277(5334), 1956–1962. Retrieved from <Go to ISI>://A1997XX84900033.
- [4] Smith, WHF and Wessel P (1990). Gridding with continuous curvature splines in tension. Geophysics, 55(3), 293–305. doi:10.1190/1.1442837.
- [5] Weatherall P., Marks KM, Jakobsson M., Schmitt T, Tani S, Arndt JE, Rovere M, Chayes D, Ferrini V, and Wigley R (2015). A new digital bathymetric model of the world's oceans. Earth and Space Science, 2(8), 331–345.
- [6] Amos, J. (2014, October 2). Satellites detect 'thousands' of new ocean-bottom mountains. Retrieved July 21, 2016, from http://www.bbc.com/news/science-environment-29465446
- [7] Schulter, Leistner, and Bischof (2015). Fast and Accurate Image Upscaling With Super-Resolution The IEEE Conference on Computer Vision and Pattern Recognition.

List Of Figures

Figure 1: Earthy bathymetry prediction (Smith and Sandwell,	
1997).	1
Figure 2: How satellites predict bathymetry (Amos, J. (2014,	
October 2)	1
Figure 3: Super-resolution using bicubic interpolation to	
produce an HR estimate using LR data (Images produced	ł
using Matlab).	2
Figure 4: Bicubic Interpolation shows the ability to predict HR	
bathymetry from LR data (similar to the capability of wit	th
image data), however there is considerable smoothing	
out of the prediction (Plots produced using Matlab).	2
Figure 5: Process 1/2 (Training) of the original SRF Algorithm	3
Figure 6: Process 2/2 (Testing) of the original SRF Algorithm	3
Figure 7: PSNR comparison (with mean scores) between	
Bicubic Interpolation and SRF	4
Figure 8: Variance Comparison between LR and HR bathymetr	ry
data	4
Figure 9: Variance Comparison between LR and down-sample	d
HR (bicubic interpolation) bathymetry data	4
Figure 10: Table showing where the variance was changed	
along the SRF algorithm code for each trial, as well as	
what data is the input for each trial.	6
Figure 11: Diagram showing the locations for the possible	
changes of variance in the SRF training process for all	
trials.	6
Figure 12: Diagram showing the locations for the possible	
changes of variance in the SRF testing process for all	
trials.	6
Figure 13: PSNR comparison for Trial 1 (changing the variance	!
of the low resolution data before it undergoes bicubic	
interpolation).	6